

# Number Patterns and Sequences for Class 5

## Unit: Number System & Notation - Student Practice Worksheet

*Overview: Ms. Rao wrote 3, 7, 11, 15, \_\_\_\_ on the board and asked for the next number. Kabir guessed 16. Anaya guessed 19. Only one of them had actually found the RULE — the other had just guessed a number that looked plausible.*

### Practice Questions (30 Total)

#### Section A - Easy

**Q1. The table shows an add-2 sequence's position and term. Using it, what comes next?**

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The table shows an add-2 seq

- ☐ A. 10
- ☐ B. 9
- ☐ C. 12
- ☐ D. 16

**Q2. In an arithmetic pattern, what stays the same between terms?**

- ☐ A. The number of digits
- ☐ B. The last digit only
- ☐ C. The fixed amount added or subtracted
- ☐ D. Nothing stays the same

**Q3. What comes next: 100, 90, 80, 70, \_\_\_\_? Work out the gap and apply it.**

- ☐ A. 50
- ☐ B. 60
- ☐ C. 65
- ☐ D. 75

**Q4. The table shows an add-5 sequence's position and term. Using it, what comes next?**



The table shows an add-5 seq

- ☐ A. 22
- ☐ B. 25
- ☐ C. 30
- ☐ D. 24

**Q5. In a geometric pattern, what stays the same between terms?**

- ☐ A. The fixed amount multiplied or divided
- ☐ B. The amount subtracted
- ☐ C. The amount added
- ☐ D. Nothing at all

**Q6. What comes next: 3, 6, 12, 24, \_\_\_\_? Work out the multiplier and apply it.**

- ☐ A. 36
- ☐ B. 30
- ☐ C. 27
- ☐ D. 48

**Q7. The table shows a doubling sequence. Using it, what comes next?**

The table shows a doubling s

- ☐ A. 10
- ☐ B. 12
- ☐ C. 9
- ☐ D. 16

**Q8. What is a 'term' in a sequence?**

- ☐ A. One single number in the sequence
- ☐ B. The whole sequence
- ☐ C. The rule connecting numbers
- ☐ D. The last number only

**Q9. What comes next: 20, 17, 14, 11, \_\_\_\_? Work out the gap and apply it.**

- ☐ A. 9
- ☐ B. 8
- ☐ C. 7
- ☐ D. 10

**Q10. The table shows the first 3 square numbers. Using it, work out what the 4th square number is.**

- ☐ A. 12
- ☐ B. 13
- ☐ C. 16
- ☐ D. 9

### Section B - Medium

**Q11. The table shows Ms. Rao's sequence. Using it, what is the next term?**

The table shows Ms. Rao's se

then compare

- ☐ A. 19
- ☐ B. 16
- ☐ C. 18
- ☐ D. 20

**Q12. Why couldn't Kabir's subtraction rule explain 2, 4, 8, 16?**

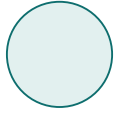
- ☐ A. Because the numbers were too big
- ☐ B. Because subtraction never works on sequences
- ☐ C. Because the sequence had no rule at all
- ☐ D. Because the gaps between terms were not equal

**Q13. Find the missing term: 5, \_\_\_\_, 15, 20, 25. Work out the gap and apply it.**

- ☐ A. 10
- ☐ B. 8
- ☐ C. 12

☐ D. 13

**Q14. The table shows Anaya's sequence. Using it, what is the next term?**



The table shows Anaya's sequ

☐ A. 24

☐ B. 32

☐ C. 20

☐ D. 18

**Q15. What is the rule for the sequence 50, 45, 40, 35?**

☐ A. Add 5

☐ B. Multiply by 5

☐ C. Subtract 5

☐ D. Divide by 5

**Q16. Find the missing term: 3, 9, \_\_\_\_, 81, 243. Work out the multiplier and apply it.**

☐ A. 18

☐ B. 27

☐ C. 36

☐ D. 45

**Q17. The table shows a square-number sequence. Using it, what comes next?**



The table shows a square-num

☐ A. 30

☐ B. 49

☐ C. 36

☐ D. 35

**Q18. Why does Ms. Rao say to test a rule against EVERY term, not just the first two?**

☐ A. Because a rule that fits only the first two terms might not fit the rest of the sequence

- ☐ B. Because sequences never have more than 2 terms
- ☐ C. Because the first two terms are always wrong
- ☐ D. Because testing more terms is always slower

**Q19. Find the missing term: 64, 32, 16, \_\_\_\_, 4. Work out the divisor and apply it.**

- ☐ A. 12
- ☐ B. 8
- ☐ C. 10
- ☐ D. 6

**Q20. The table shows the 6th square number's position. Using it, compute  $6 \times 6$ .**

- ☐ A. 12
- ☐ B. 30
- ☐ C. 42
- ☐ D. 36

### Section C - Challenge

**Q21. The table shows the triangular-number sequence and the gap growing by 1 each step. Using it, what comes next after 15?**



The table shows the triangul

- ☐ A. 18
- ☐ B. 21
- ☐ C. 20
- ☐ D. 25

**Q22. Kabir claims: 'Every sequence must be either arithmetic or geometric.' Is this true?**

- ☐ A. Yes, those are the only two possible kinds
- ☐ B. Only for sequences longer than 10 terms
- ☐ C. Only for sequences of even numbers
- ☐ D. No -- some sequences, like square or triangular numbers, follow other kinds of rules entirely

**Q23. A sequence is defined as 'double the previous term, then subtract 1': 2, 3, 5, 9, \_\_\_\_.**  
**Work out the next term.**

- ☐ A. 17
- ☐ B. 16
- ☐ C. 18
- ☐ D. 15

**Q24. The table shows a geometric sequence with ratio  $\times 3$ . Using it, what is the 6th term?**

The table shows a geometric



- ☐ A. 162
- ☐ B. 324
- ☐ C. 486
- ☐ D. 108

**Q25. Anaya's method was to test gaps, then ratios, then special shapes like squares, in that order. Why might trying gaps FIRST usually make sense?**

- ☐ A. Because gaps are always the correct answer
- ☐ B. Because ratios can never be found in real sequences
- ☐ C. Because square number patterns don't really exist
- ☐ D. Because addition/subtraction patterns are the simplest to spot and check

**Q26. A sequence has terms 100, 50, 25, 12.5. Work out whether it's arithmetic or geometric.**

- ☐ A. Arithmetic -- the gaps are equal
- ☐ B. Neither type applies
- ☐ C. Geometric -- each term is halved
- ☐ D. Both types apply equally

**Q27. The table shows an arithmetic sequence. Using it, what is the 10th term?**



The table shows an arithmeti

- ☐ A. 29
- ☐ B. 32
- ☐ C. 35
- ☐ D. 30

**Q28. Why is it important to distinguish an arithmetic pattern from a geometric one before predicting far-ahead terms?**

- ☐ A. It makes no real difference either way
- ☐ B. Geometric growth is far faster, so the wrong rule badly misses
- ☐ C. Because arithmetic patterns are always wrong
- ☐ D. Because geometric patterns never have more than 5 terms

**Q29. A sequence begins 4, 9, 16, 25 (starting from the 2nd square number). Work out what comes 3 terms after 25.**

- ☐ A. 64
- ☐ B. 49
- ☐ C. 81
- ☐ D. 36

**Q30. The table shows a sequence's terms and their gaps. Using it, work out the rule -- does the added amount stay fixed or grow?**

- ☐ A. The added amount grows by 1 each step
- ☐ B. Add a fixed 3 each time
- ☐ C. Multiply by 2 each time
- ☐ D. Subtract a fixed amount each time

## Answer Key

- Q1:** (A) (a) 10. Read the table's Term row: each step adds 2, so after 8 comes 10.
- Q2:** (C) (c) The fixed amount added or subtracted each time.
- Q3:** (B) (b) 60. Each term subtracts 10.
- Q4:** (B) (b) 25. Read the table's Term row: each step adds 5, so after 20 comes 25.
- Q5:** (A) (a) The fixed amount multiplied or divided by, each time.
- Q6:** (D) (d) 48. Each term doubles.
- Q7:** (D) (d) 16. Read the table's Term row: each step doubles, so after 8 comes 16.
- Q8:** (A) (a) One single number in the sequence.
- Q9:** (B) (b) 8. Each term subtracts 3.
- Q10:** (C) (c) 16. The table shows  $1 \times 1$ ,  $2 \times 2$ ,  $3 \times 3$ ; the 4th continues the pattern:  $4 \times 4 = 16$ .
- Q11:** (A) (a) 19. The table shows each gap is +4, so  $15 + 4 = 19$ .
- Q12:** (D) (d) The gaps between terms (2, 4, 8) were not equal -- it wasn't an arithmetic pattern.
- Q13:** (A) (a) 10. The pattern adds 5 each time.
- Q14:** (B) (b) 32. The table shows each term doubles, so  $16 \times 2 = 32$ .
- Q15:** (C) (c) Subtract 5 each time.
- Q16:** (B) (b) 27. The pattern multiplies by 3 each time.
- Q17:** (C) (c) 36. The table's pattern is square numbers:  $6 \times 6 = 36$ .
- Q18:** (A) (a) A rule that only fits the first two terms could easily be wrong for the rest of the sequence.
- Q19:** (B) (b) 8. The pattern divides by 2 each time.
- Q20:** (D) (d) 36. The table names position 6; compute  $6 \times 6 = 36$ .
- Q21:** (B) (b) 21. The table's gap row shows +2,+3,+4,+5 -- the next gap is +6:  $15+6=21$ .
- Q22:** (D) (d) No -- sequences can follow other rules too, like square or triangular numbers, neither purely additive nor purely multiplicative.
- Q23:** (A) (a) 17.  $9 \times 2 = 18$ , minus 1 = 17.
- Q24:** (C) (c) 486. The table's 5th term is 162; the 6th is  $162 \times 3 = 486$ .
- Q25:** (D) (d) Addition/subtraction patterns are usually the simplest to check first, before moving to more complex rules.
- Q26:** (C) (c) Geometric -- each term is divided by 2 (halved) from the one before.
- Q27:** (B) (b) 32. The table shows +3 each step from position 4 (14) to position 10:  $14+3 \times 6 = 32$ .
- Q28:** (B) (b) Geometric patterns grow or shrink much faster than arithmetic ones, so mistaking one for the other causes predictions to diverge wildly.
- Q29:** (A) (a) 64. 25 is 5-squared, next is 6-squared=36, then 7-squared=49, then 8-squared=64.

**Q30:** (A) (a) The table's Gap row shows +2,+3,+4,+5 -- the added amount grows by 1 each step, the triangular number pattern.

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***You've got this! Keep learning and shining! - Ruchi Math Coaching***